

NAME

float.h – floating types

SYNOPSIS

```
#include <float.h>
```

DESCRIPTION

The characteristics of floating types are defined in terms of a model that describes a representation of floating-point numbers and values that provide information about an implementation's floating-point arithmetic.

The following parameters are used to define the model for each floating-point type:

<i>s</i>	Sign (± 1).
<i>b</i>	Base or radix of exponent representation (an integer > 1).
<i>e</i>	Exponent (an integer between a minimum <i>e_min</i> and a maximum <i>e_max</i>).
<i>p</i>	Precision (the number of base- <i>b</i> digits in the significand).
<i>f_k</i>	Non-negative integers less than <i>b</i> (the significand digits).

A floating-point number *x* is defined by the following model:

In addition to normalized floating-point numbers ($f_1 > 0$ if $x \neq 0$), floating types may be able to contain other kinds of floating-point numbers, such as subnormal floating-point numbers ($x \neq 0$, $e = e_{\min}$, $f_1 = 0$) and unnormalized floating-point numbers ($x \neq 0$, $e > e_{\min}$, $f_1 = 0$), and values that are not floating-point numbers, such as infinities and NaNs. A *NaN* is an encoding signifying Not-a-Number. A *quiet NaN* propagates through almost every arithmetic operation without raising a floating-point exception; a *signaling NaN* generally raises a floating-point exception when occurring as an arithmetic operand.

The accuracy of the floating-point operations ('+', '-', '*', '/') and of the library functions in <math.h> and <complex.h> that return floating-point results is implementation-defined. The implementation may state that the accuracy is unknown.

All integer values in the <float.h> header, except FLT_ROUNDS, shall be constant expressions suitable for use in #if preprocessing directives; all floating values shall be constant expressions. All except DECIMAL_DIG, FLT_EVAL_METHOD, FLT_RADIX, and FLT_ROUNDS have separate names for all three floating-point types. The floating-point model representation is provided for all values except FLT_EVAL_METHOD and FLT_ROUNDS.

The rounding mode for floating-point addition is characterized by the implementation-defined value of FLT_ROUNDS:

-1	Indeterminable.
0	Toward zero.
1	To nearest.
2	Toward positive infinity.
3	Toward negative infinity.

All other values for FLT_ROUNDS characterize implementation-defined rounding behavior.

The values of operations with floating operands and values subject to the usual arithmetic conversions and of floating constants are evaluated to a format whose range and precision may be greater than required by the type. The use of evaluation formats is characterized by the implementation-defined value of FLT_EVAL_METHOD:

-1	Indeterminable.
0	Evaluate all operations and constants just to the range and precision of the type.

- 1 Evaluate operations and constants of type **float** and **double** to the range and precision of the **double** type; evaluate **long double** operations and constants to the range and precision of the **long double** type.
- 2 Evaluate all operations and constants to the range and precision of the **long double** type.

All other negative values for FLT_EVAL_METHOD characterize implementation-defined behavior.

The values given in the following list shall be defined as constant expressions with implementation-defined values that are greater or equal in magnitude (absolute value) to those shown, with the same sign.

- * Radix of exponent representation, b .

FLT_RADIX

2

- * Number of base-FLT_RADIX digits in the floating-point significand, p .

FLT_MANT_DIG

DBL_MANT_DIG

LDBL_MANT_DIG

- * Number of decimal digits, n , such that any floating-point number in the widest supported floating type with p_{max} radix b digits can be rounded to a floating-point number with n decimal digits and back again without change to the value.

DECIMAL_DIG

10

- * Number of decimal digits, q , such that any floating-point number with q decimal digits can be rounded into a floating-point number with p radix b digits and back again without change to the q decimal digits.

FLT_DIG

6

DBL_DIG

10

LDBL_DIG

10

- * Minimum negative integer such that FLT_RADIX raised to that power minus 1 is a normalized floating-point number, e_{min} .

FLT_MIN_EXP

DBL_MIN_EXP

LDBL_MIN_EXP

- * Minimum negative integer such that 10 raised to that power is in the range of normalized floating-point numbers.

FLT_MIN_10_EXP

-37

DBL_MIN_10_EXP

-37

LDBL_MIN_10_EXP
-37

- * Maximum integer such that FLT_RADIX raised to that power minus 1 is a representable finite floating-point number, e_{max} .

FLT_MAX_EXP

DBL_MAX_EXP

LDBL_MAX_EXP

- * Maximum integer such that 10 raised to that power is in the range of representable finite floating-point numbers.

FLT_MAX_10_EXP
+37

DBL_MAX_10_EXP
+37

LDBL_MAX_10_EXP
+37

The values given in the following list shall be defined as constant expressions with implementation-defined values that are greater than or equal to those shown:

- * Maximum representable finite floating-point number.

FLT_MAX
1E+37

DBL_MAX
1E+37

LDBL_MAX
1E+37

The values given in the following list shall be defined as constant expressions with implementation-defined (positive) values that are less than or equal to those shown:

- * The difference between 1 and the least value greater than 1 that is representable in the given floating-point type, $b^{**}1-p$.

FLT_EPSILON
1E-5

DBL_EPSILON
1E-9

LDBL_EPSILON
1E-9

- * Minimum normalized positive floating-point number, $b^{**}e_{\text{min}}$.

FLT_MIN
1E-37

DBL_MIN
1E-37

LDBL_MIN
1E-37

The following sections are informative.

APPLICATION USAGE

None.

RATIONALE

None.

FUTURE DIRECTIONS

None.

SEE ALSO

<complex.h>, <math.h>

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